Differentiation practice II

■ 1 Compute the derivative.

$$f[x_{-}] = x^5 + \pi x^{1/7}$$

$$\partial_x f[x]$$

■ 2 Compute the derivative.

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f[x_] = x^3 + 3(x^2 + \pi^2)
\partial_x f[x]
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■ 3 Compute the derivative.

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f[x_{]} = (x + 1)^{2} (x^{3} - 5)
\partial_{x} f[x]
Expand[%]
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■ 4 Compute the derivative.

$$f[\theta] = (\theta^2 + Sec[\theta] + 1)^3$$
 $\partial_{\theta} f[\theta]$

■ 5 Compute the derivative.

$$f[t_{-}] = \frac{\sqrt{t}}{1 + \sqrt{t}}$$

$$\partial_{t} f[t]$$
Together [%]

■ 6 Compute the derivative. Remark: the traditional way of writing this function would be

$$f(x) = 2\tan^2(x) - 2\sec^2(x)$$

$$f[x_] = 2 Tan[x]^2 - 2 Sec[x]^2$$

 $\partial_x f[x]$

■ 7 Compute the derivative. The traditional way of writing this function would be

$$\frac{1}{\sin^2(x)} - \frac{\pi}{\sin(2\pi x)}$$

$$f[x_{-}] := \frac{1}{\sin[x]^{2}} - \frac{\pi}{\sin[2\pi x]}$$

$$\partial_{x} f[x]$$

■ 8 Compute the derivative. The traditional way of writing this function would be

$$\cot^3\left(\frac{2}{t^2}\right)$$

$$f[x_{-}] := Cot\left[\frac{2}{t^{2}}\right]^{3}$$

$$\partial_{t} f[t]$$

■ 9 Compute the derivative.

$$f[\theta] = Sin[\sqrt{2\theta}]$$
 $\partial_{\theta} f[\theta]$

■ 10 Compute the derivative.

$$f[x_{_}] = \frac{1}{2} x^{2} Cot[x]^{2}$$

$$\partial_{x} f[x]$$

■ 11 Compute the derivative. The traditional form of the function would be

$$\sqrt{x} \ 2 \csc((x+1)^3)$$

$$f[x_{]} := \sqrt{x} 2 Csc[(x+1)^{3}]$$

$$\partial_{x} f[x]$$

■ 12 Compute the derivative. The traditional form of the function would be

$$\sqrt{x} 2 \csc^3(x+1)$$

$$f[x_{-}] = \sqrt{x} 2 \operatorname{Csc}[x+1]^{3}$$

$$\partial_{x} f[x]$$

■ 13 Compute the derivative. The tradtional form of the function woud be

$$\frac{\sin^2(x^3)}{x^2}$$

$$f[x_{]} = \frac{\sin[x^3]^2}{x^2}$$

$$\partial_x f[x]$$

■ 14 Compute the derivative.

$$f[\theta_{-}] = \frac{\sin[\theta]}{\cos[\theta] + 1}$$

$$\partial_{\theta} f[\theta]$$
Together[%]

■ 15 Compute the derivative.

$$f[\theta_{-}] = \frac{\sin[\pi/2] \sin[\theta]}{\cos[\theta] + 1}$$

$$\partial_{\theta} f[\theta]$$

■ 16 Compute the derivative.

$$f[x_{-}] := Sin[x] \sqrt{x^2 + 1} e^x$$
 $\partial_x f[x]$

■ 17 Compute the derivative.

$$f[x_] = Cos[e^{x^2}]$$
 $\partial_x f[x]$

■ 18 Compute the derivative.

$$f[x] = \frac{\sin[e x]}{x^2}$$

$$\partial_x f[x]$$
Together $[\partial_x f[x]]$

■ 19 Compute the derivative. The traditional form would be

$$\frac{\sin^2(e x)}{x^2}$$

$$f[x_{]} = \frac{\sin[e x]^{2}}{x^{2}}$$

$$\partial_{x} f[x]$$

■ 20 Compute the derivative.

$$f[x_] = Log[e^x];$$
 $\partial_x f[x]$

■ 21 Compute the derivative.

$$f[x_] = Tan[Log[x]];$$
 $\partial_x f[x]$

■ 22 Compute the derivative.

$$f[x_{]} = \frac{Cos[x]}{x} + \frac{x}{Cos[x]}$$

$$\partial_{x} f[x]$$
Together[%]

■ 23 Compute the derivative.

$$f[x_{-}] = \frac{1 + Csc[x]}{1 - Csc[x]}$$

$$\partial_{x} f[x]$$
Together[%]

■ 24 Compute the derivative. Log[10,x] means log base 10 of x.

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f[x_] = Log[10, x^3];
\partial_x f[x]
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■ 25 Compute the derivative.

$$f[x_{]} = A e^{-\alpha x} + A e^{\beta x}$$

 $\partial_x f[x]$